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%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%
% LIST OF THEOREMS FOR THE EXAM %%%%%%%%%%%%%%%%%%%%%%%
% Explanation:
%  the number at the end of line = the number of the theorem in the lecture notes
%  the sign before the number:
%        *   these theorems are not explicitly included into
%            the exam questions.  Anyway, the knowledge is assumed,
%            including the idea of a proof (in case the theorem
%            was proved during the lectures).
%
%  no sign   theorems included to exam questions
%
%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%
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%%% Chapter V
%
properties of the numerical radius % V.4 including V.3
structure of normal operators % V.5
characterization of orthogonal projections % V.6
spectrum of a self-adjoint operator % V.7
Hilbert-Schmidt theorem % V.9
Schmidt representation of compact operators % V.11 including V.8
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characterization of self-adjoint operators among symmetric ones % V.31
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on the range of the Cayley transform % V.34
Cayley transform for self-adjoint operators % V.35
%
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properties of a spectral measure % VI.2
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integral of an unbounded function with respect tor a spectral measure % VI.11
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spectral decomposition of a self-adjoint operator % VI.15, VI.16 and VI.17
on T^*T % * VI.19
on normal unbounded operators % VI.20
spectral decomposition of an unbounded normal operator % * VI.21
diagonalization of a normal operator % * VI.24 and VI.25
%
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%
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